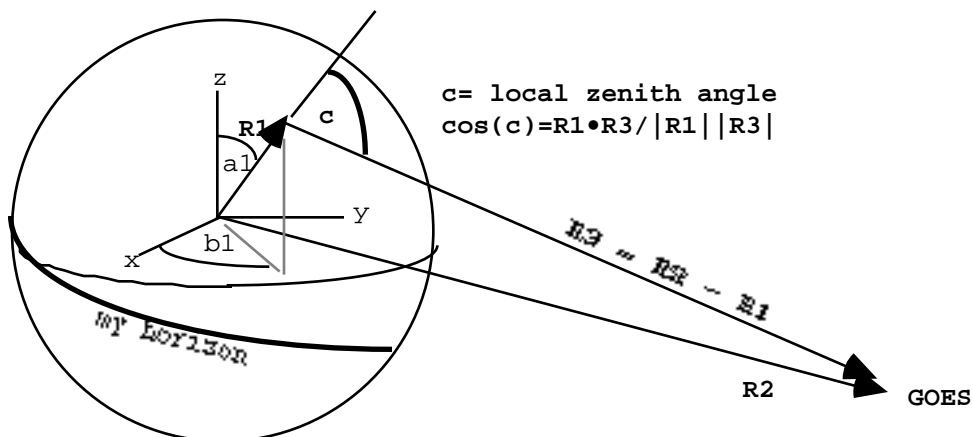


Local horizon needed for clear GOES view
 Dennis Chesters, NASA-GSFC, 21 January 1994



VECTOR SOLUTION FOR ANGLE ABOVE HORIZON (altitude)

$\mathbf{R1}$ = vector to me on a sphere, polar angle $a1$ and equatorial angle $b1$.
 = $r1 [\sin(a1)\cos(b1), \sin(a1)\sin(b1), \cos(a1)]$, x, y, z -components
 $r1 = |\mathbf{R1}| = \text{radius of the earth}$

$\mathbf{R2}$ = vector from center of earth to satellite in orbit

$\mathbf{R3}$ = vector from me to satellite in orbit = $\mathbf{R2} - \mathbf{R1}$

c = angle from local zenith to satellite,
 determined by dot product of local zenith with vector from me to satellite
 $\cos(c) = \mathbf{R1} \cdot \mathbf{R3} / |\mathbf{R1}| |\mathbf{R3}|$

Azimuthal angle from me to GOES is computed using projections of $\mathbf{R3}$ onto my horizontal plane by first removing its projection onto my zenith vector:

$\mathbf{R4} = \mathbf{R3} - [(\mathbf{R3} \cdot \mathbf{R1}) / r1][\mathbf{R1} / r1]$ = part of $\mathbf{R3}$ in my horizontal plane

$\mathbf{Rs} = [\cos(a1)\cos(b1), \cos(a1)\sin(b1), -\sin(a1)]$

= unit vector to my south horizon

and then computing the direction cosine between $\mathbf{R4}$ and my south-look point

$\cos(\text{azimuth}) = \mathbf{R4} \cdot \mathbf{Rs} / |\mathbf{R4}|$

Tabular results

SATELLITE STATION	geo-longitude ($^{\circ}$ W)	azimuth angle, east of south ($^{\circ}$):	altitude angle, up from horizon ($^{\circ}$):
METEOSAT	0	82	1
METEO-alt	30	60	24
METEO-now	50	39	37
GOES-EAST	75	3	45
GOES-I/M	90	-20	43
GOES-7now	110	-46	33
GOES-7alt	120	-56	27
GOES-WEST	135	-69	16
GOES-WEST+	140	-72	12